





et al. 2016). The Van Genuchten model better explains soil water retention function by parameter optimization (Fashi et al. 2016). The in-situ unsaturated hydraulic conductivity was estimated using a multi-flow inverse approach, where HYDRUS software was used for parameters estimation (Nasta, Huynh, and Hopmans 2011).

The in-situ unsaturated hydraulic conductivity was measured from soil capillary pressure head and water content by installing Tensiometers and TDR in different locations for comparison with the inverse approach (Hendrayanto, Kosugi, and Mizuyama 1998).

This study is focusing on the evaluation of an inverse approach estimating unsaturated hydraulic conductivity (Nasta et al., 2011; Vereecken et al., 2010; Van Genuchten, 1978; Van Genuchten and Nielsen, 1985 and Van Genuchten, 1992). The instantaneous soil profile data was used for parameters optimization. In the laboratory, several trials were conducted to calibrate the effectiveness of the proposed inverse method. The in-situ saturated hydraulic conductivity  $K_s$  was measured by Renold and Elrick's (1990) method. Which accounts ring diameter and depth, and follows the concept, that field soil water saturation is always less than complete saturation ( $K_{sat} \geq 2K_s$ ) (Constantz et al., 1988; Renold and Elrick, 1990; Hillel, 1980, P.179). The soil water content was measured by installing soil moisture sensors SMS and the Gravimetric method. The volumetric soil water content  $\theta (cm^3 cm^{-3})$  and in-situ saturated hydraulic conductivity  $K_s$  was used in the RETC computer code for parameters estimation (Vereecken et al. 2010). During the parameters estimation, only  $n$  was optimized and the remaining parameters left as such for estimating the unsaturated hydraulic conductivity  $K_h$  (Abbasi et al. 2003). The in-situ unsaturated hydraulic conductivity  $K_h$  estimated by inverse approach compared with reference  $K_h$  measured by Mini disk infiltrometer MDI under varying soil conditions. An exponential function for  $K_h$  estimation was also proposed by taking laboratory measured saturated hydraulic conductivity  $K_{sat}$  in Raats







reservoir of 135 ml with a porous disk at the bottom. The MDI should be placed firmly on a thin layer of sand (Kirkham and Clothier 2000). The MDI allows water to flow through soil micro-pores under negative pressure (tension) excluding macro-pores (having larger radii than the equivalent pore radii of applied tension), cracks, and holes that dominate the saturated flow. This exclusion facilitates the in situ macro-pores characterizations the difference between  $K_s$  and  $K_h$  (Minasny and George 1999

The laboratory and in-situ unsaturated hydraulic conductivity  $K_h$  measured by Zhang (1997) method using MDI infiltration data, which further used for comparison with the inverse approach,

$$I = C_2 t^{0.5} + C_1 t \quad (2)$$

Where  $C_2$  ( $LT^{-0.5}$ ) is soil sorptivity and  $C_1$  ( $LT^{-1}$ ) hydraulic conductivity. The soil  $K_h$  ( $LT^{-1}$ ) given as,

$$K_h = \frac{C_2}{A} \quad (3)$$

Where  $C_2$  measured from the slope of cumulative infiltration  $I$  vs square root of time  $T^{0.5}$  using second-order polynomial fitting (Quadratic equation), and  $A$  is obtained by relating the Van Genuchten soil parameter to the applied suction head,

$$A = \frac{11.65(n^{0.1}-1)\exp[2.92(n-1.9)\alpha h]}{(ar)^{0.91}} n \geq 1.9 \quad (4)$$

$$A = \frac{11.65(n^{0.1}-1)\exp[7.5(n-1.9)\alpha h]}{(ar)^{0.91}} n < 1.9 \quad (5)$$

Where  $\alpha$  and  $n$  are the Van Genuchten soil parameters,  $h$  (L) is the suction applied at a disk surface, and  $r$  (L) is the radius of infiltrometer disk.





























